ADDING INTERACTIONS BETWEEN **VARIABLES** TO OUR MODEL



IMPROVING OUR MODEL FURTHER

• Intercept model: $height_i = \beta_0$

• Age model: $height_i = \beta_0 + \beta_{age}Age_i$

• Age and male $height_i = \beta_0 + \beta_{age} \ age_i + \beta_{male} \ male_i$

Age and male interaction

 $height_i = \beta_0 + \beta_m \ male_i + \beta_a \ age_i + \beta_{m \times a} \ male_i \cdot age_i$



 $male_i = \begin{cases} 1, & child is male \\ 0, & Otherwise \end{cases}$

$$height_i = \beta_0 + \beta_m \ male_i + \beta_a \ age_i + \beta_{m \times a} \ male_i \cdot age_i$$

$$male_i = 1$$

$$height_i = \beta_0 + \beta_m + \beta_a age_i + \beta_{m \times a} age_i$$

$$male_i = 0$$

$$height_i = \beta_0 + \beta_a age_i$$



$$height_i = \beta_0 + \beta_m \ male_i + \beta_a \ age_i + \beta_{m \times a} \ male_i \cdot age_i$$

$$male_i = 1$$

$$height_i = \beta_0 + \beta_m + (\beta_a + \beta_{m \times a}) age_i$$

$$male_i = 0$$

$$height_i = \beta_0 + \beta_a age_i$$



$$height_i = \beta_0 + \beta_m \ male_i + \beta_a \ age_i + \beta_{m \times a} \ male_i \cdot age_i$$

$$male_i = 1$$

$$height_i = \beta_0 + \beta_m + (\beta_a + \beta_{m \times a}) age_i$$

$$male_i = 0$$

$$height_i = \beta_0 + \beta_a age_i$$



$$height_i = \beta_0 + \beta_m \ male_i + \beta_a \ age_i + \beta_{m \times a} \ male_i \cdot age_i$$

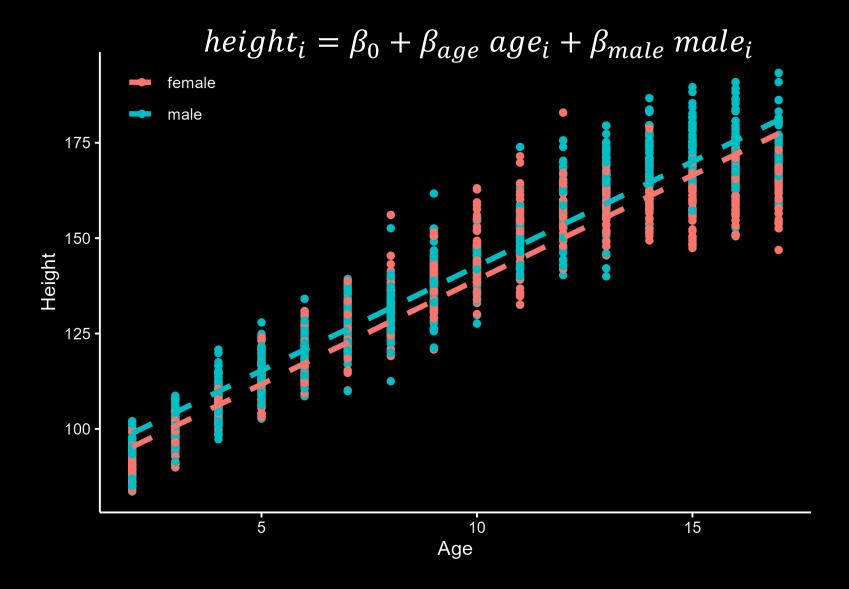
$$male_i = 1$$

$$height_i = \beta_0 + \beta_m + (\beta_a + \beta_{m \times a}) age_i$$

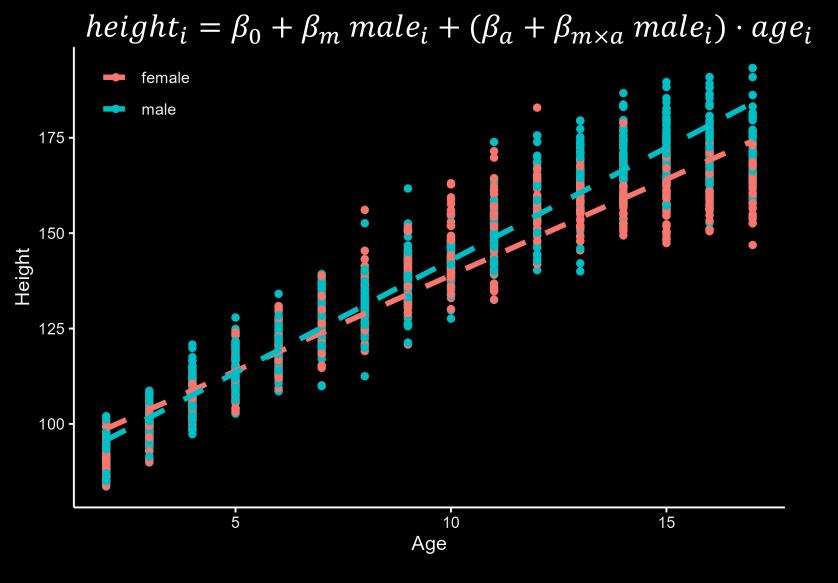
$$male_i = 0$$

$$height_i = \beta_0 + \beta_a age_i$$

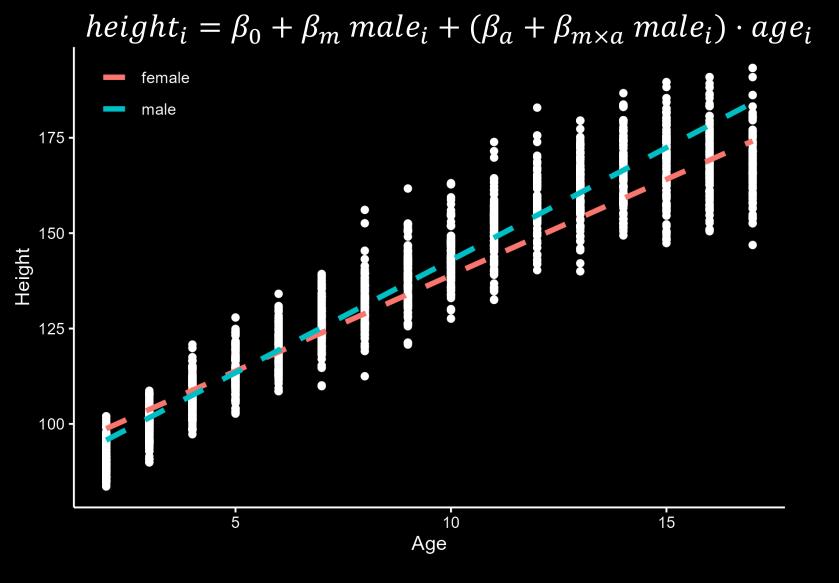














$$height_{i} = \beta_{0} + \beta_{m} \ male_{i} + (\beta_{a} + \beta_{m \times a} \ male_{i}) \cdot age_{i}$$

$$\frac{175}{29}$$

$$\frac{1}{125}$$

$$\frac{1}{100}$$

$$\frac{1}{4}$$

$$\frac{1}{4}$$

$$\frac{1}{4}$$

$$\frac{1}{4}$$

$$\frac{1}{4}$$

$$\frac{1}{4}$$

$$\frac{1}{4}$$

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eta_m^{ro} Gender[T.Male] -2. eta_a^{ro} AgeInYearsAtScreening 5.	7936 8803 1739 6536	0.711	173.801 -4.050 105.593 9.431	0.000 0.000 0.000 0.000



TECH3



Sondre Hølleland Geir Drage Berentsen